

# Zero-field energy minimization principle to control the domains size by lines scribed with a laser on surface oriented magnetic structures.

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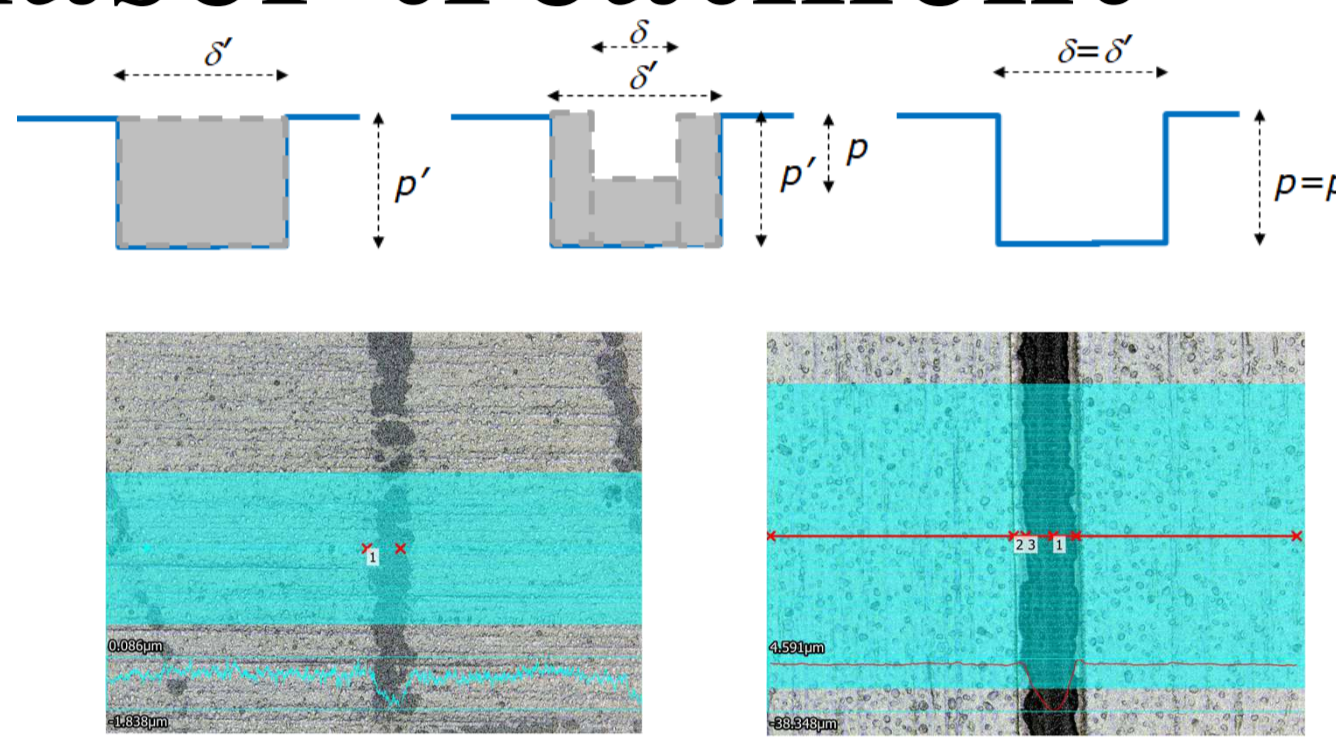
**Introduction:** This work focuses on a method to help the specification of the most adequate laser patterns to optimize the performance (magnetic permeability, coercive force, losses) of a soft magnetic material. To do so, we investigate a theoretical tool to estimate statistically the impact of both a pattern (such as the **scribing** or **irradiation "lines"** geometry, **spacing**, **depth**, width ...) and some material properties (sheet **thickness**, magnetic **exchange** and **anisotropy**) onto the main parameters that define a magnetic structure at zero external magnetic field, especially the **domain wall spacing**.

## Role of the laser treatment<sup>a</sup>

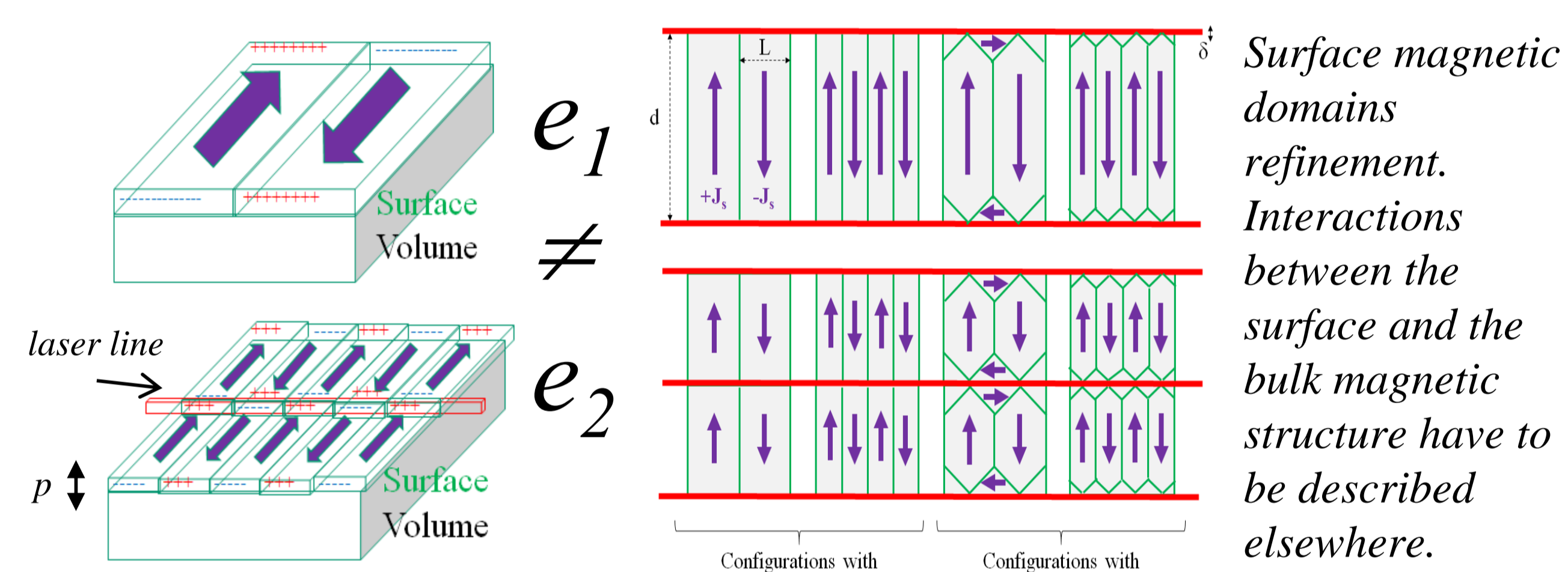
Scribing modes and depth:

■ width and depth of Heat Affected Zone ( $p'$ ,  $\delta'$ ) (HAZ)

□ width and depth of Material Removal Zone ( $p$ ,  $\delta$ ) (MRZ)



- Located modification of magnetic properties, reduction of polarization inside the affected zone (stress, ablation, damage ...)
- Located closure domains or magnetic poles that define typical size of magnetic domains due to an energy minimization principle.



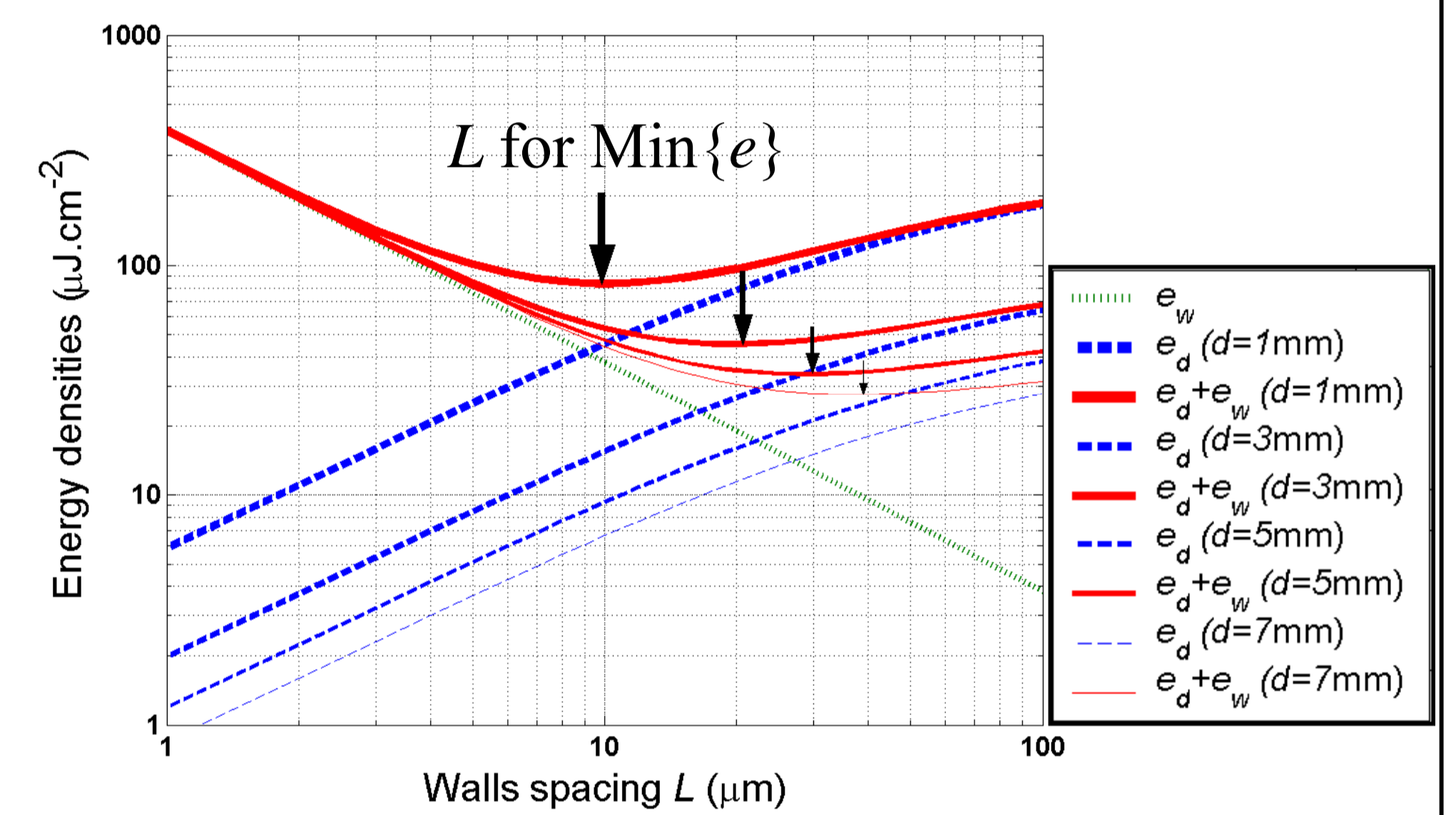
## Results and sensitivity analysis<sup>b</sup>

Structure (context variable)	Laser	Description
(a) or (a')	$p$ or $p'$	Depth of the MRZ or HAZ within the laser lines
(a)	$e$ or $\zeta$	Thickness of the sample
(c)	(b)	Width of the magnetic domains
(d)	$d$	distance between lines scribed by laser
(delta) or (delta')	$\delta$ or $\delta'$	Depth of the MRZ or HAZ within the laser lines
$\theta_j$	$\theta_j$	angle between lines and the polarization
$\theta_w$	$\theta_w$	angle between lines and the walls direction
$\theta_{DL}$	$\theta_{DL}$	Angle between lines and the rolling direction

Case with no closure domains, only theory & magnetic poles are considered

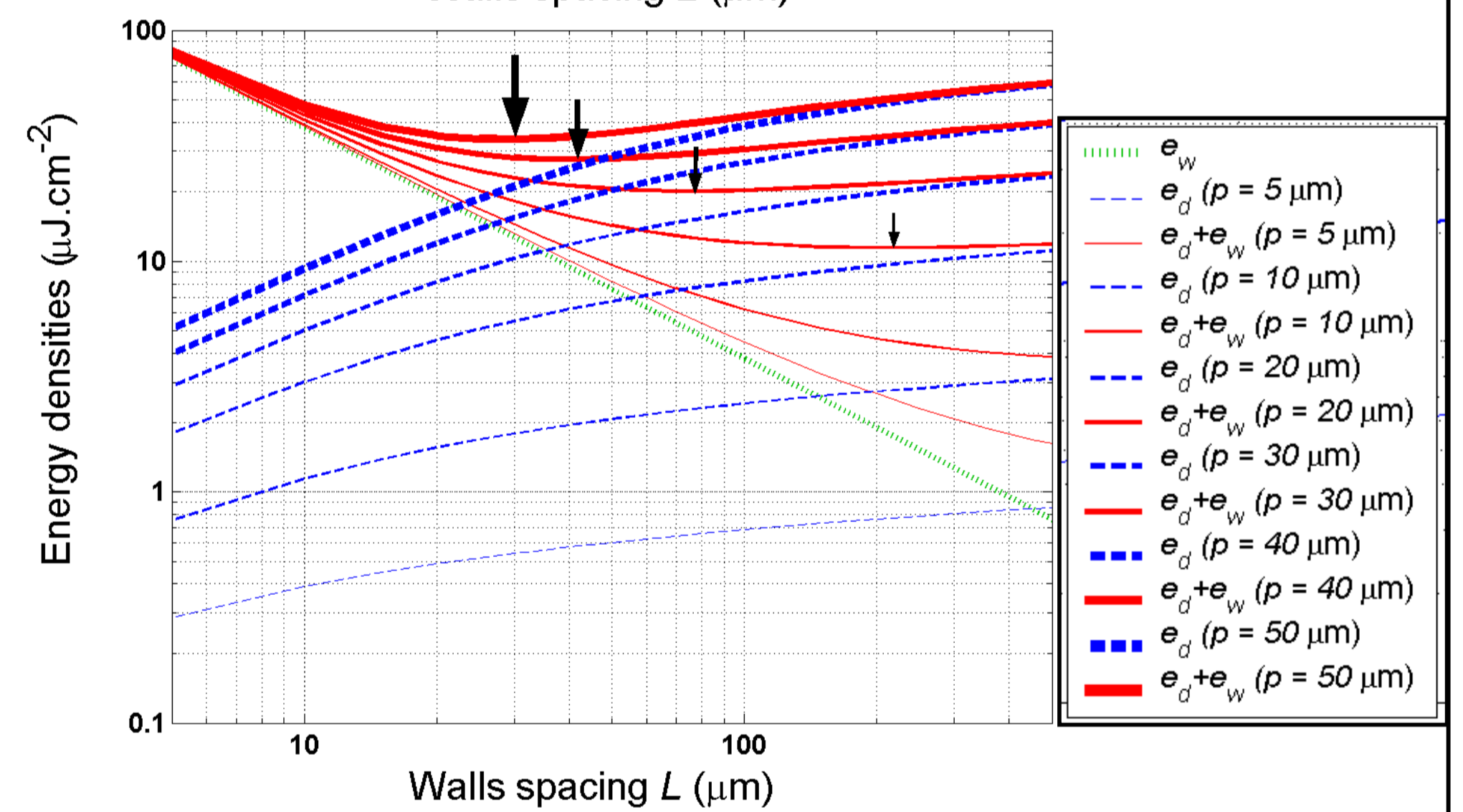
**Walls spacing  $L$  vs lines spacing  $d$**

$J_s = 2$  T  
 $e$  or  $\zeta = 0.5$  mm  
 $p = 50$   $\mu$ m  
 $\delta \approx 0$   $\mu$ m  
 $\theta_{DL} = \theta_j = \theta_w = 90^\circ$   
 $u_{an} = u_{DL}$



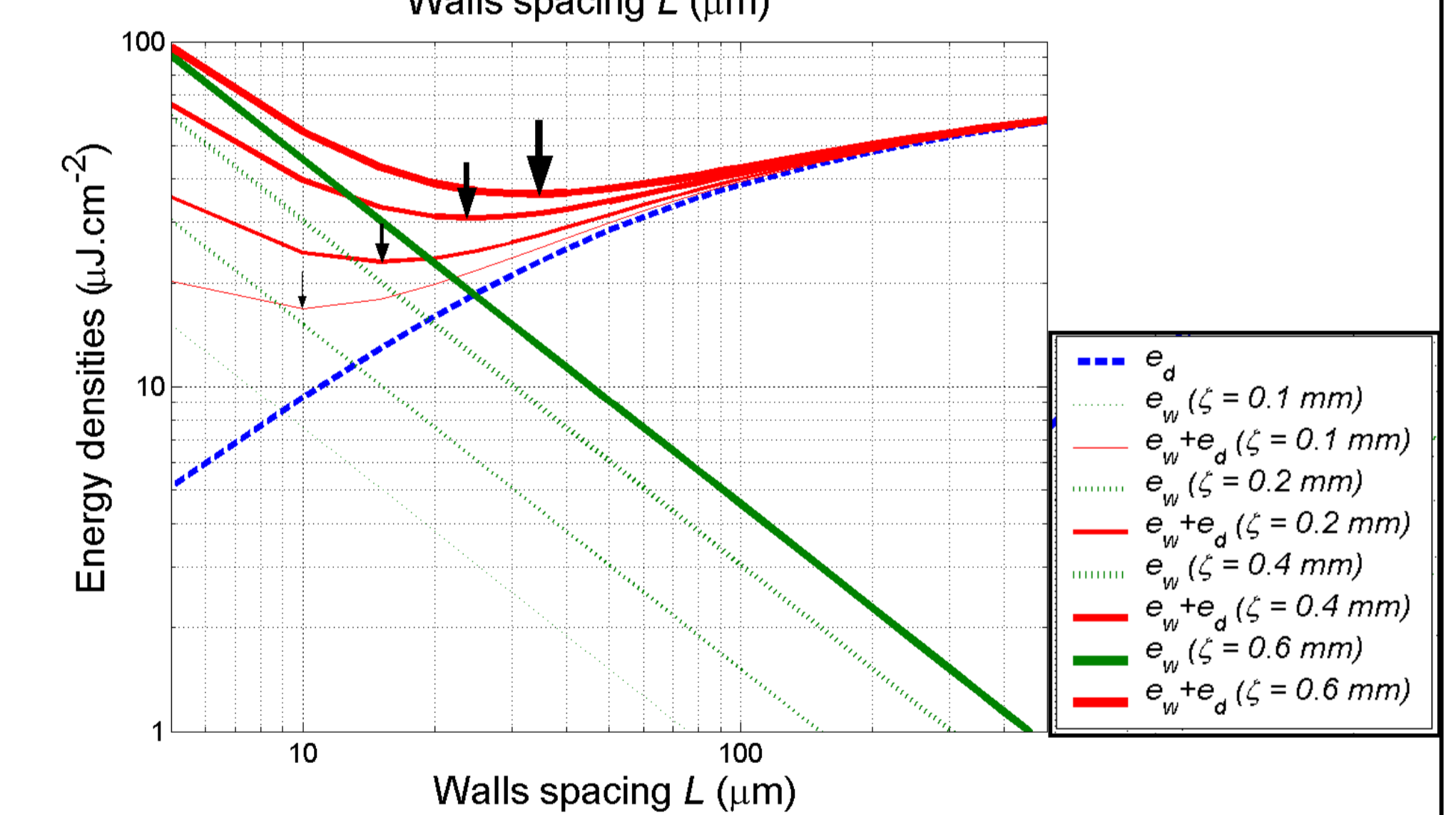
**Walls spacing  $L$  vs lines depth  $p$**

$J_s = 2$  T  
 $e$  or  $\zeta = 0.5$  mm  
 $d = 5$  mm  
 $\delta \approx 0$   $\mu$ m  
 $\theta_{DL} = \theta_j = \theta_w = 90^\circ$   
 $u_{an} = u_{DL}$



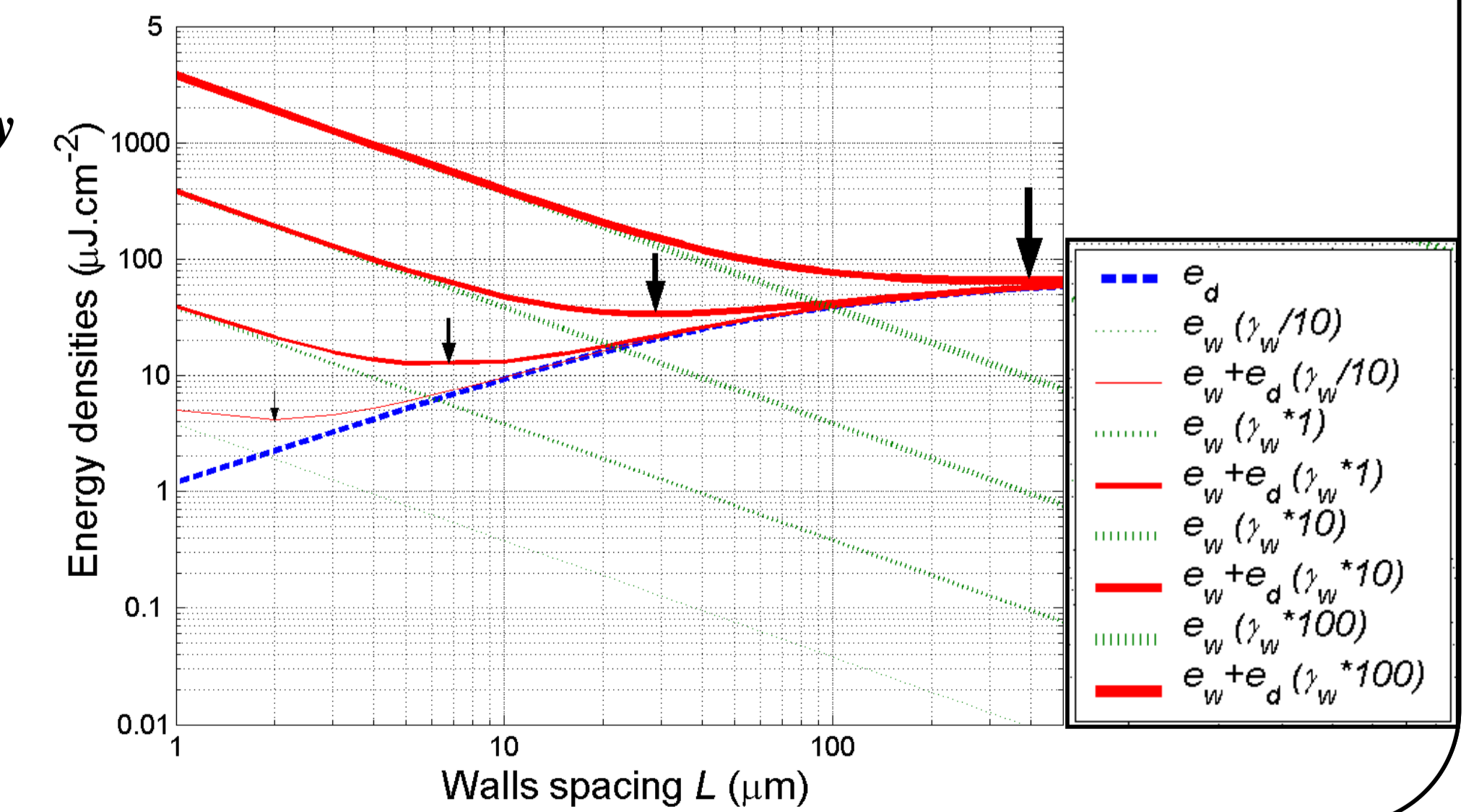
**Walls spacing  $L$  vs sheet thickness  $\zeta$**

$J_s = 2$  T  
 $p = 50$   $\mu$ m  
 $d = 5$  mm  
 $\delta \approx 0$   $\mu$ m  
 $\theta_{DL} = \theta_j = \theta_w = 90^\circ$   
 $u_{an} = u_{DL}$



**Walls spacing  $L$  vs walls energy density  $\gamma_w \propto \sqrt{A_{ex}K_{an}}$**

$J_s = 2$  T  
 $e$  or  $\zeta = 0.5$  mm  
 $p = 50$   $\mu$ m  
 $d = 5$  mm  
 $\delta \approx 0$   $\mu$ m  
 $\theta_{DL} = \theta_j = \theta_w = 90^\circ$   
 $u_{an} = u_{DL}$



## Min{domains+walls+poles} energy Test-Case studied

Energy of  $M \times N$  domains at zero field

**Domains energy density** (magnetocrystalline anisotropy energy, only for closure domains)

- Case of one easy axis along  $z$

$$e_a \approx \sum_{\text{closure } m} (K_{an} a b_m^2 / 4) / (M N b c)$$

**Walls energy** (magnetic exchange + anisotropy energy)

- Case of Bloch walls at  $180^\circ$

$$e_w \approx \sum_m \sum_n 2(c a) \sqrt{A_{ex} K_{an}} / (M N b c)$$

**Poles' energy** (magnetostatic demagnetizing energy)

- Contribution of surface magnetic poles only

$$e_d \approx \frac{1}{2} \sum_{m1} \sum_{n1} \sum_{m2} \sum_{n2} N_d(a, (m2 - m1)b, (n2 - n1)c) J^2 / (M N b c)$$

Demagnetization coefficient  $N_d$ :

$$\begin{pmatrix} u = X + (-1)^{\frac{A}{2}} \frac{(-1)^{\frac{B}{2}}}{2} \\ v = Y + (-1)^{\frac{B}{2}} \frac{(-1)^{\frac{A}{2}}}{2} \\ w = Z \\ r = \sqrt{u^2 + v^2 + w^2} \end{pmatrix} N_d = \frac{1}{2\pi\mu_0} \sum_{l=0}^1 \sum_{k=0}^1 \sum_{j=0}^1 (-1)^{l+k+j} \begin{pmatrix} \frac{1}{2} u(v^2 - w^2) \ln(R - u) \\ \frac{1}{2} v(u^2 - w^2) \ln(R - v) \\ UVW \tan^{-1} \left( \frac{UV}{RW} \right) \\ \left( \frac{15}{4} UV - \frac{1}{2} (u^2 + v^2) \right) R \end{pmatrix} \quad a \begin{matrix} B \\ A \\ b \\ r = (X, Y, Z) \end{matrix}$$

**Conclusion:** The walls energy decreases when the walls spacing increases (*i.e.* the walls number or surface decreases). The demagnetizing energy increases when the walls spacing increases (*i.e.* the magnetic domains and poles become bigger or closer). We find an optimal wall spacing which minimize the total energy and corresponds to the best compromise, that depends on the material and laser parameters. Now, consideration of closure domains, determination of the macroscopic anisotropy, true walls energy density, observation of actual domains size and inclusion of field effects are required.

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